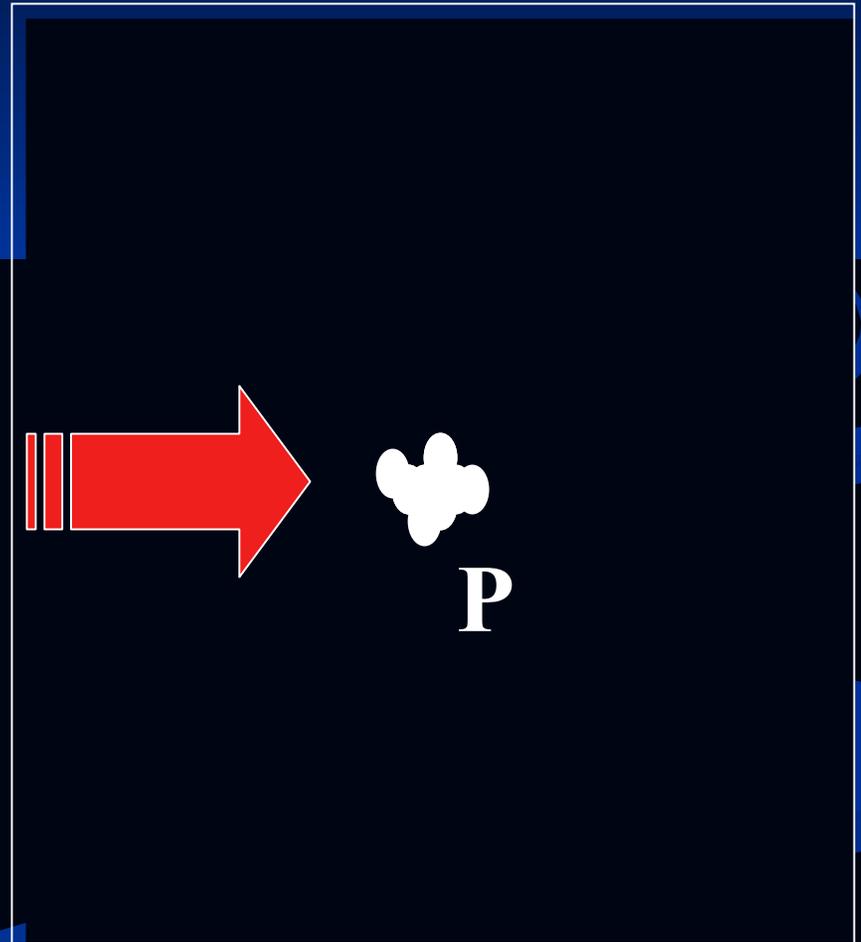


A close-up photograph of a person's feet. They are wearing blue denim jeans with the cuffs rolled up and brown leather sandals with buckles. The feet are resting on a light-colored concrete surface. The person's toenails are painted a dark purple color. The lighting is bright, creating shadows on the ground.

**”How We Came
to Understand
Confinement”**

The Ubiquitous Little Proton

- From Chemistry, the "Hydrogen Ion"
- Tastes rather sour; "lemonade"
- The small round dot of Ernest Rutherford



Form Factors, More than Fudge Factors

A form factor is a GENERAL expansion...

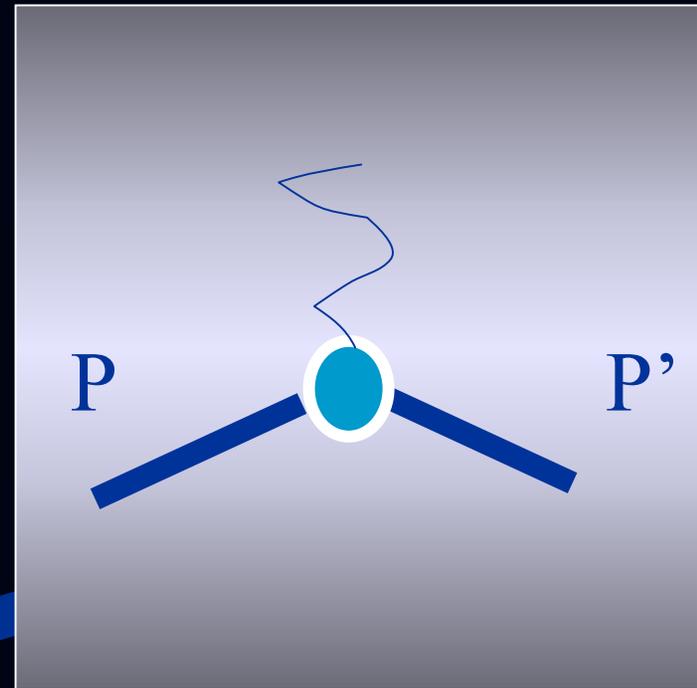
$$M = \sum_{\alpha} M_{\alpha} = \text{form factors}$$

Sum over all possible irreps of relevant groups!

What Rosenbluth Did

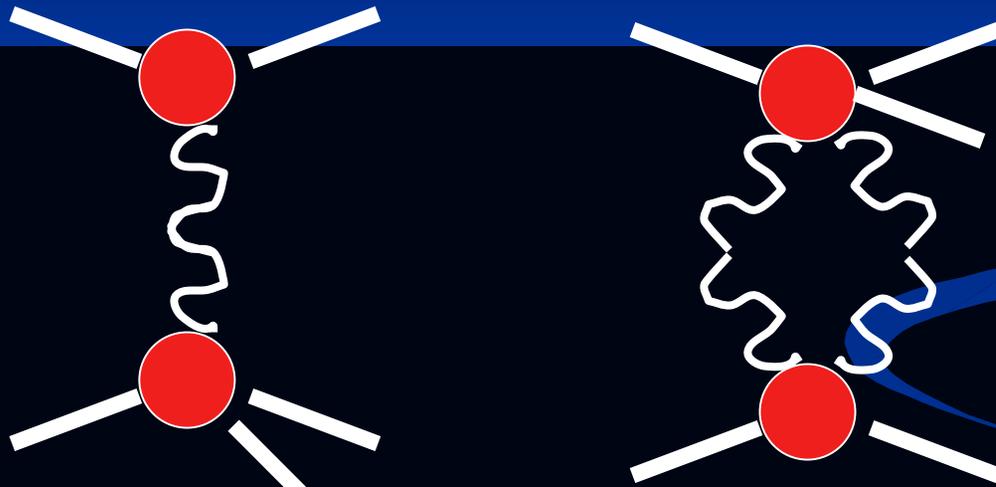
$$\langle p',s'|J_{EM}^\mu|ps\rangle = \bar{u}(p',s') \left[e \gamma^\mu F_1(Q^2) + i \frac{\sigma^{\mu\nu} k_\nu}{2m} e \kappa F_2(Q^2) \right] u(p,s)$$

- Lorentz symmetry:
(1/2,0)+(0,1/2)
→(1/2,1/2)
- P, T
- Gauge Singlet
- Chirality +, -



Form factors are *observable* matrix elements

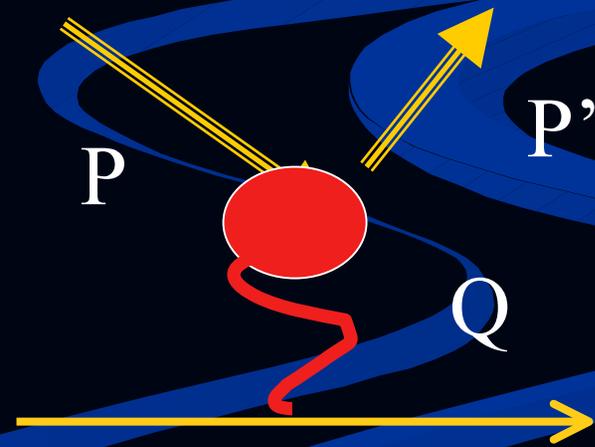
- Once measured, use it forever.
- Know your operator!!



... "any deviation from Rosenbluth cannot be attributed to our ignorance of the strong coupling.."

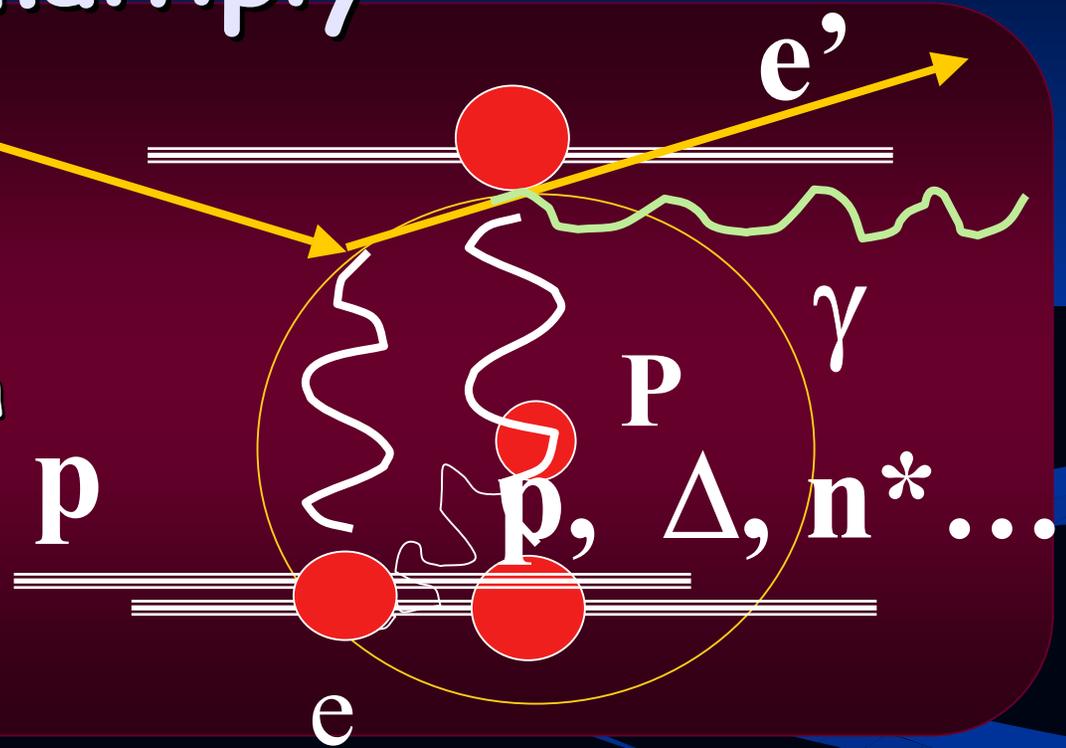
Matrix Elements and Factorization

- Once a matrix element is measured, you must get the same value in a new measurement



Factorization: amplitudes multiply

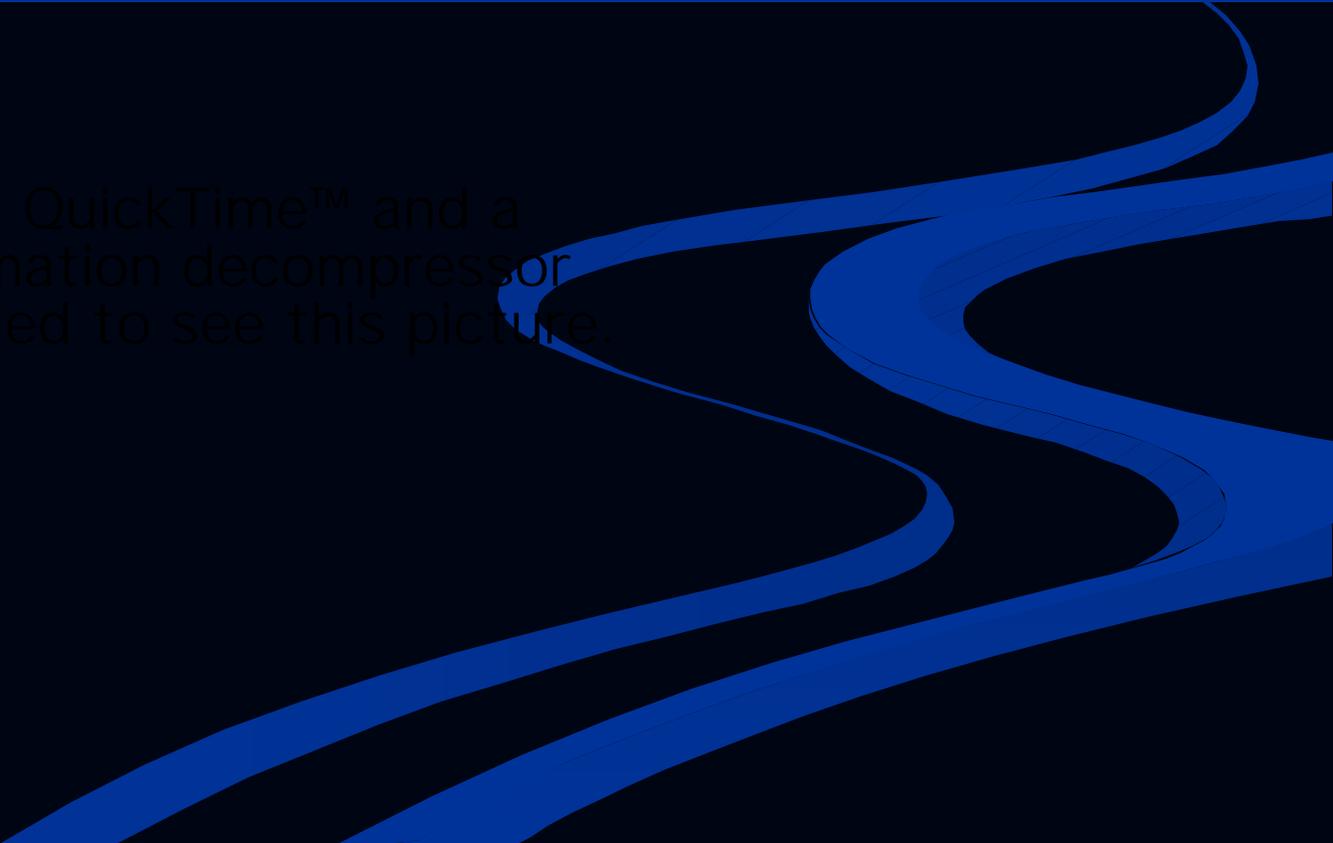
- It is the same matrix element perturbatively measured again in atomic physics in EM part of pp scattering



...do not neglect resonant interference

quantum mechanics is more than diagrams

QuickTime™ and a
Animation decompressor
are needed to see this picture.



Interpretation ca 1960

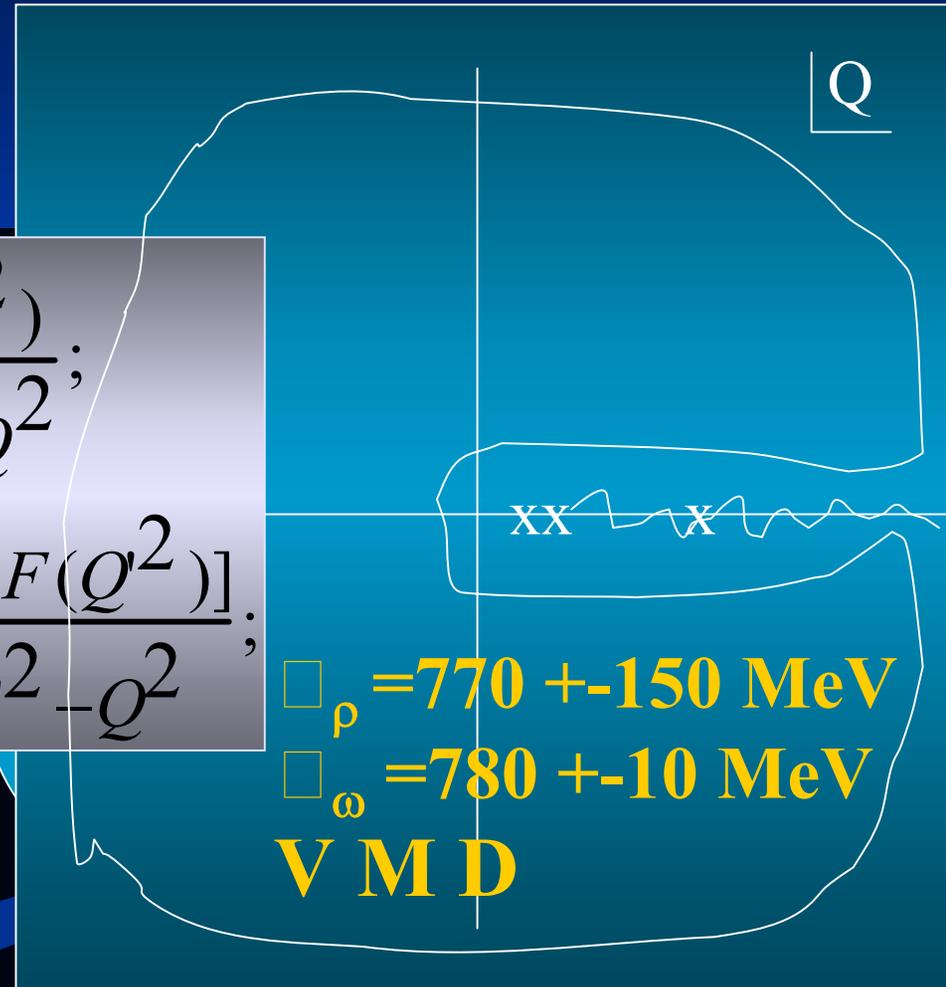
- Assuming an instantaneous point-like probe, static charge distribution $\rho(\mathbf{x})$,

$$G_E(Q^2) = \int d^3x \rho(\vec{x}) e^{i\vec{Q}\cdot\vec{x}}$$

Analyticity, i.e. Causality

$$F(Q^2) = \frac{1}{2\pi i} \oint dQ'^2 \frac{F(Q'^2)}{Q'^2 - Q^2};$$

$$\text{Re}[F(Q^2)] = \frac{1}{\pi} P \int dQ'^2 \frac{\text{Im}[F(Q'^2)]}{Q'^2 - Q^2};$$



THUS, an internally
self-consistent
theory existed
already 40 years

ago
...which has nearly faded into
oblivion



**...what changed everything forever,
is the point-like probe**

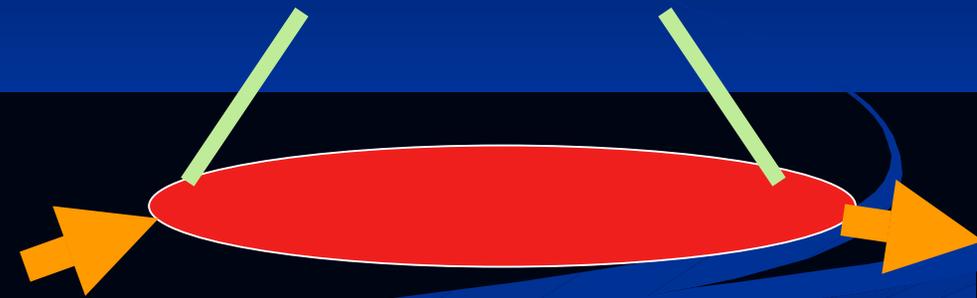
Factorization and form factors of quarks



$$\Phi(x,b) = \int dz e^{-ix^+ \bar{P}^-} \langle ps | \psi(z^-, bz^+) \bar{\psi}(0) | ps \rangle$$

Parton distributions are integrated form factors

- Forward scattering is integrated over transverse separation b
- Functions of Feynman x



$$\Phi(x,b) = \int dz^- e^{ixp^+z^-} \langle p,s | \psi(z^-,b,z^+=0) \bar{\psi}(0) | p,s \rangle$$

$$q(x,Q^2) = \Phi(x,b^2 \approx 1/Q^2)$$

An era of great discoveries and confidence in pQCD...

- Factorization
...until it is
exclusive
everything
reaction
...and fits
with
principles
correspond
high ambition
...and
needing next to
no information



about the
hadrons
themselves

...

(Fade to black)



What Jlab Taught Us

- Magnificent
- Structure functions in Resonance Region
- No Longer in Denial

Osipenko et al '03

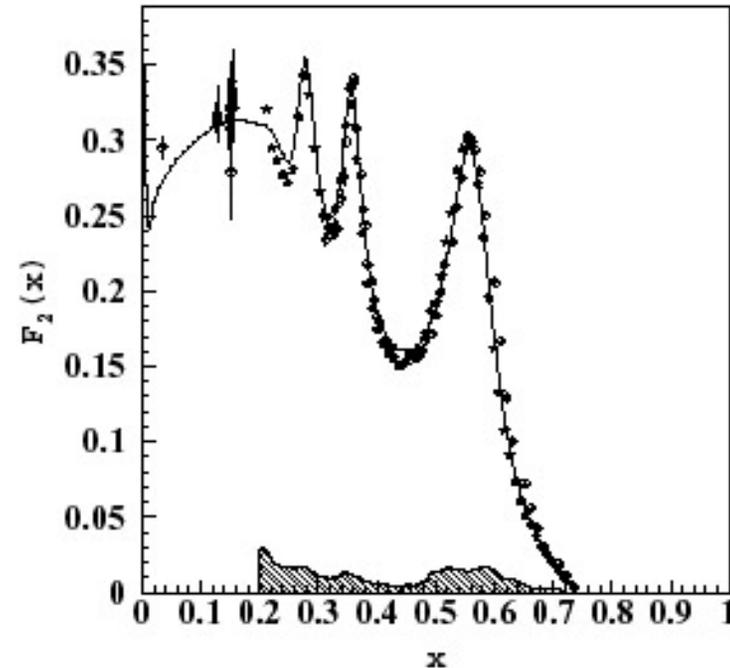


FIG. 6: Structure function $F_2(x, Q^2)$ at $Q^2 = 0.775 \text{ GeV}^2$; stars represent experimental data obtained in the present analysis with systematic errors indicated by the hatched area, empty circles show data from previous experiments [7, 30, 31, 32, 33, 34, 35, 36, 37, 38, 39, 40, 41, 42, 43, 44] and the solid line represents the parametrization from Ref. [14].

N → Δ Transition versus Q^2

Frolov 99
Stoler 02
and see
Carlson

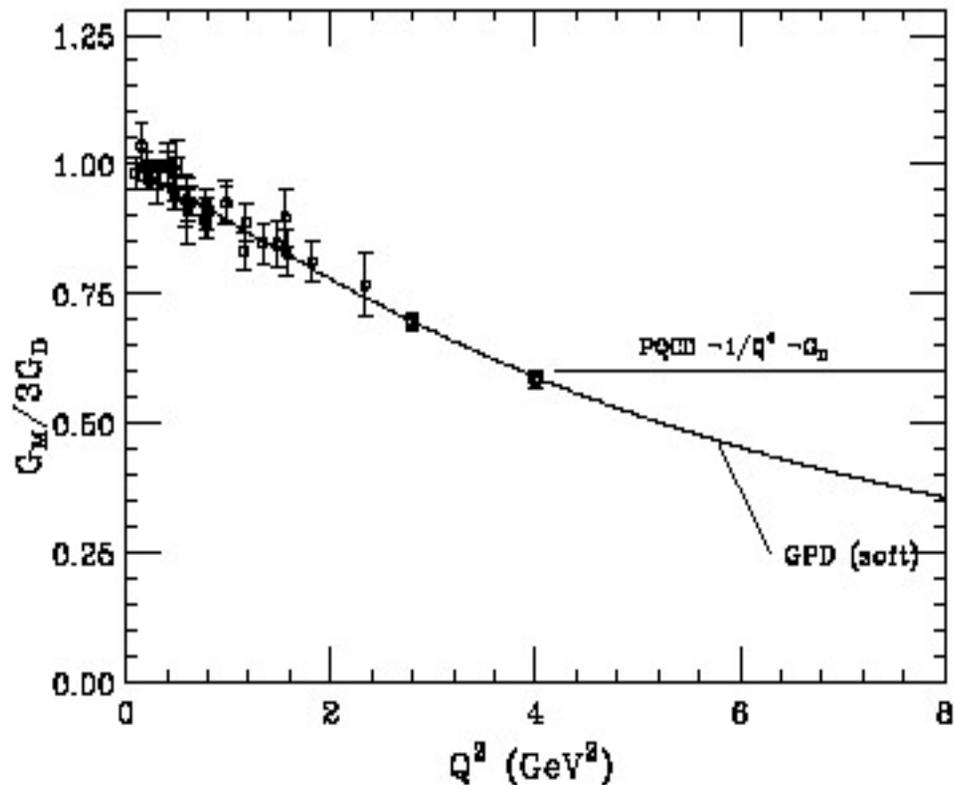


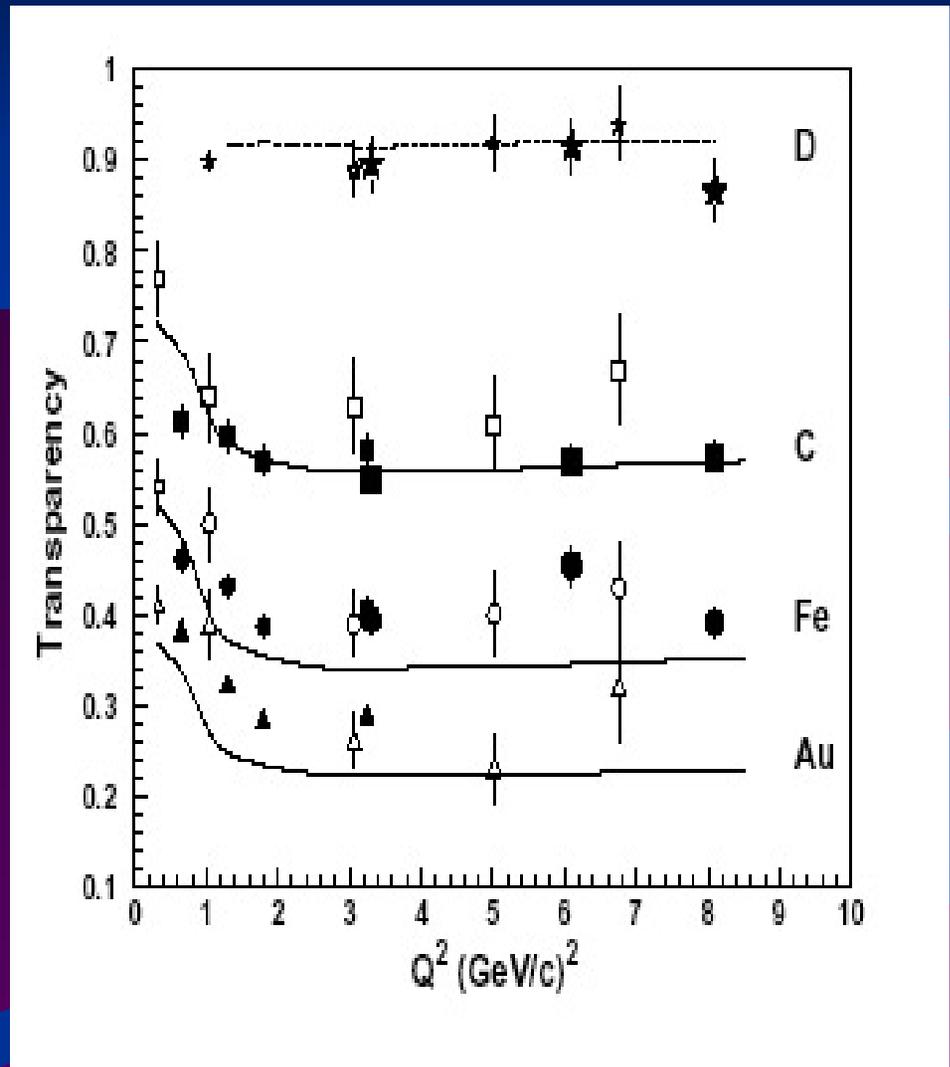
Figure 12: The $N \rightarrow \Delta$ magnetic form factor $G_M^*(Q^2)$ relative to the dipole $G_D = 3/(1 + 0.71Q^2)^2$. The data points for Q^2 below 2.8 GeV^2 are from a compilation of ref. [26]. Those at $Q^2 = 2.8$ and 4.0 GeV^2 are recent JLab data [11]. The horizontal line reflects the $1/Q^4$ asymptotic PQCD shape, and the curve denoted GPD is discussed in the text.

JLAB delivers...

- Color transparency
- $A = 10-100$
- A ($e, e'p$) matrix elements are form factors!!

Garrow
et al '01

Dutta et
al '03



Proton QF_{2p}/F_{1p} versus Q^2

What Jlab Taught Us

- Just as often wrong as right
- It is not the fault of "pQCD"

Gayou et al PRL '02

Jones et al PRL '01

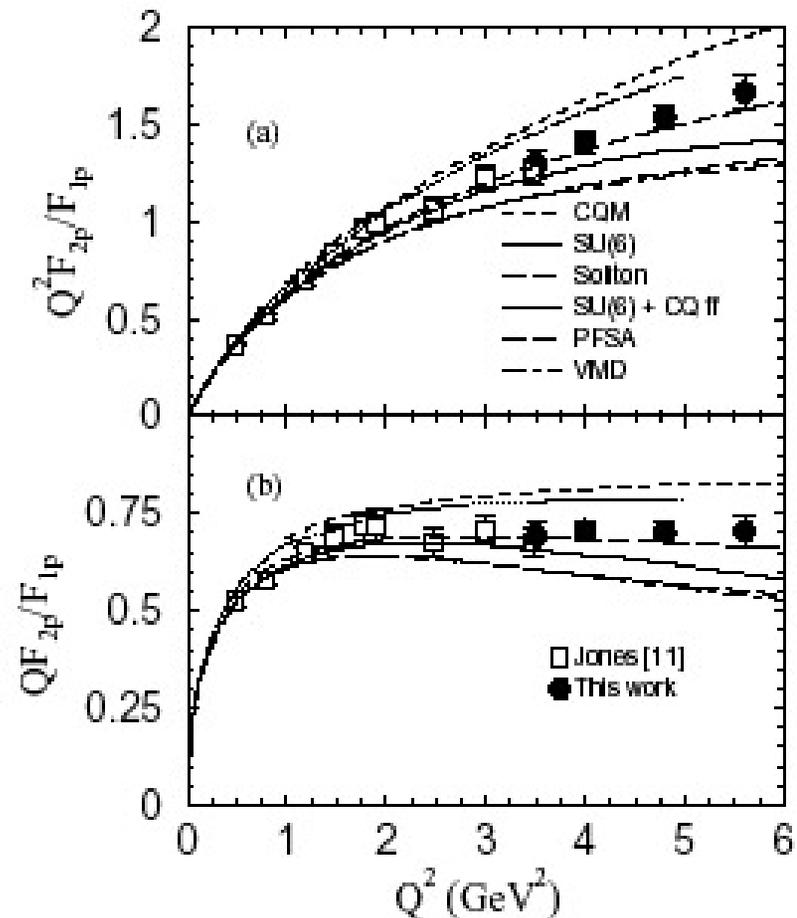


FIG. 4. Same legend as Fig. 3, for (a) $Q^2 F_{2p}/F_{1p}$ and (b) QF_{2p}/F_{1p} .

Who

- Explain?

Walker '94
Arrington '03

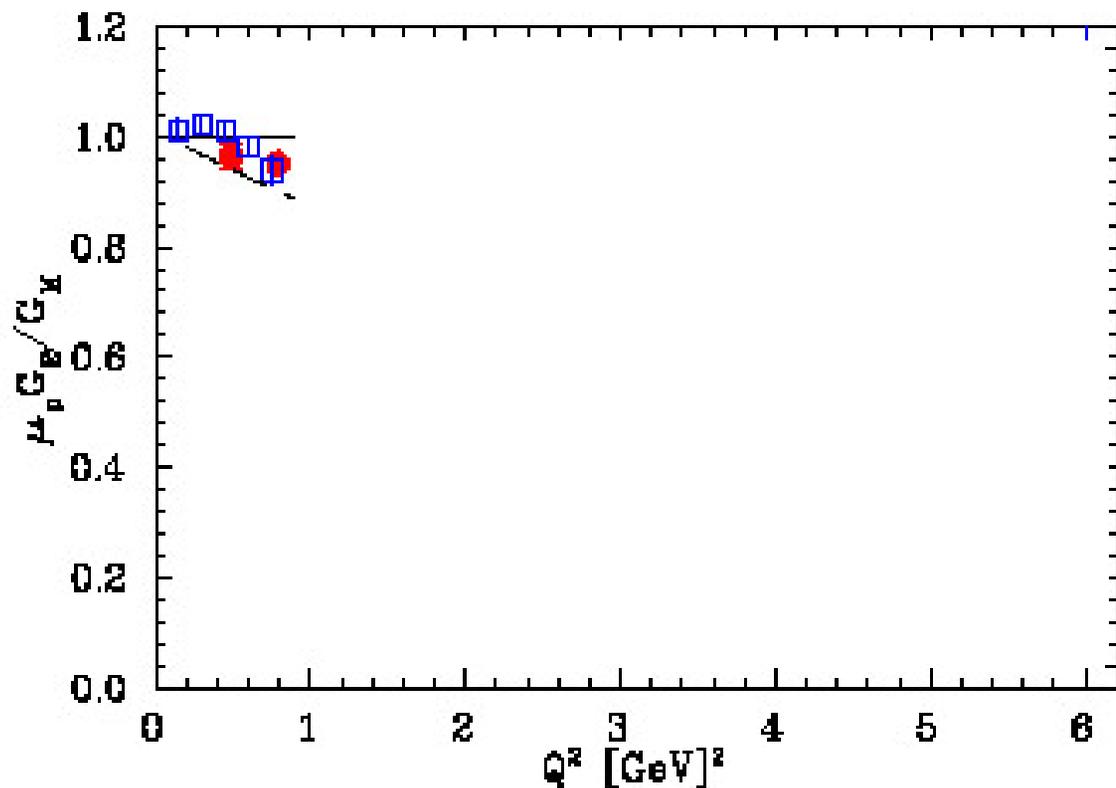


FIG. 1: Ratio of electric to magnetic form factor as extracted by Rosenbluth measurements (hollow squares) and from the JLab measurements of recoil polarization (solid circles). The dashed line is the fit to the polarization transfer data.

Read carefully...

- Combined Fit
 $\chi^2/\text{dof} \sim 1$

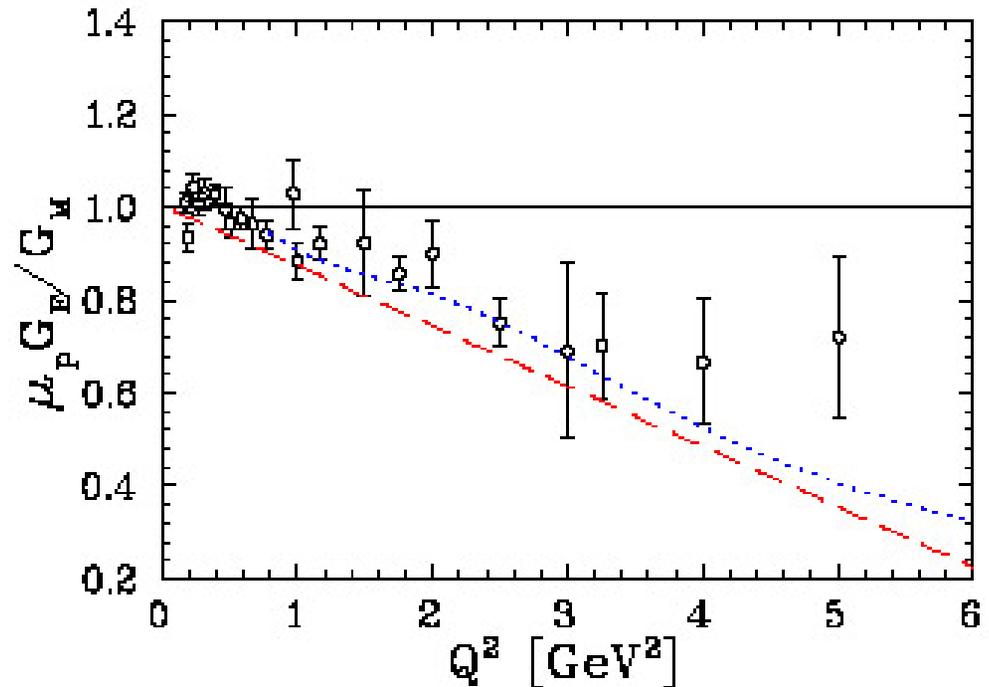


FIG. 10: Ratio of electric to magnetic form factor as determined from combined fit of cross section and polarization transfer data. The dotted line is the result of the fit, and the circles are the results from the direct L-T separations using the normalization factors determined from the global fit.

Arrington' 03

G_M^n Neutron

■ 12 GeV

■ Xu et al, PRC '20

■ (M. Jones et al, private comm.)

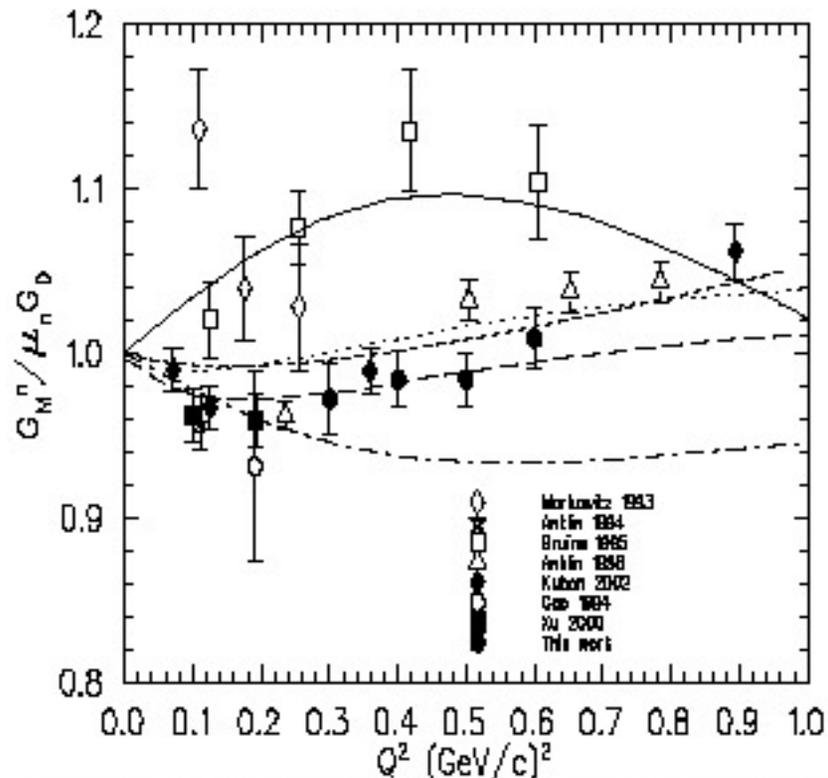
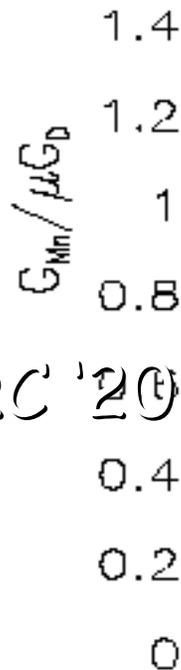


FIG. 2. The neutron magnetic form factor G_M^n in units of the standard dipole form factor $(1 + Q^2/0.71)^{-2}$, at Q^2 values of 0.3 to 0.6 $(\text{GeV}/c)^2$ extracted using PWIA calculations. Also shown are published measurements since 1990 and a few selected theoretical models. The Q^2 points of Ankin 94 [4] and Gao 94 [8] have been shifted slightly for clarity. The solid curve is a recent cloudy bag model calculation [28], the long dashed curve is a recent calculation based on a fit of the proton data using dispersion theory arguments [29], and the dotted curve is a recent analysis based on the vector meson dominance model [30]. The dashed curve is a skyrme/soliton model calculation [31], and the dash-dotted curve is a relativistic quark model calculation [32].

Valence Models, Pretty Good

- Miller and Frank
- Agrees with pQCD that F_2/F_1 due to quark

*Orbital
Angular
Momentum,
aka "OAM"*

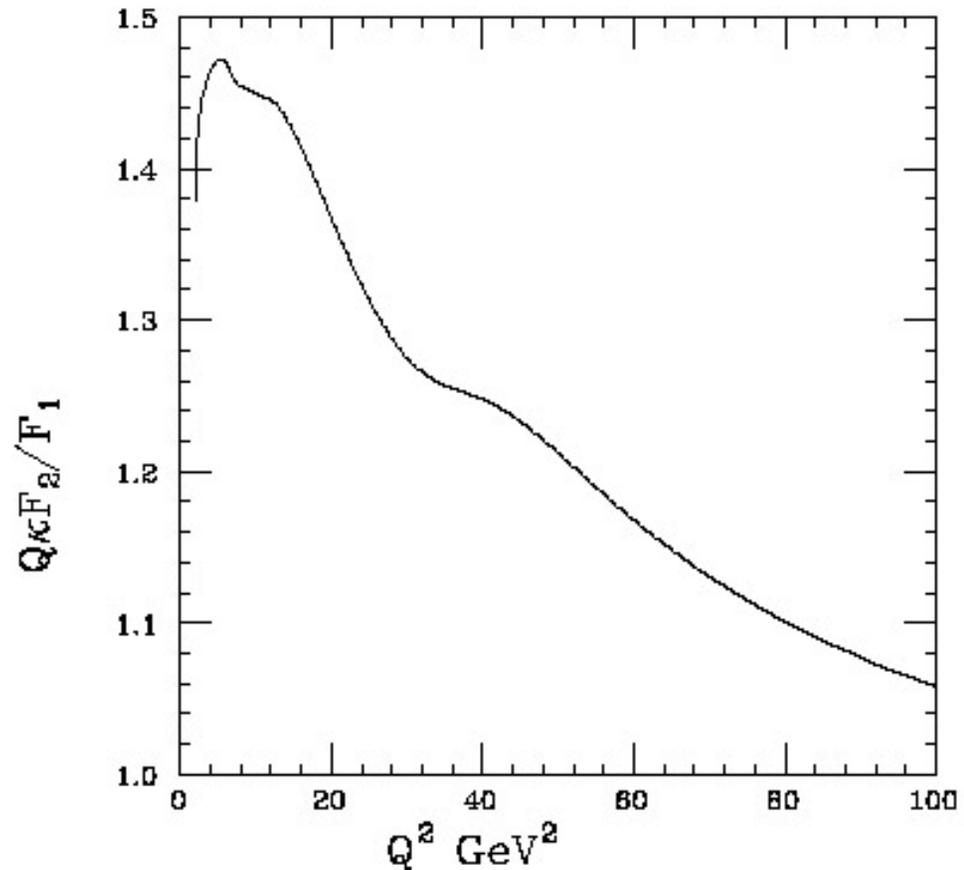
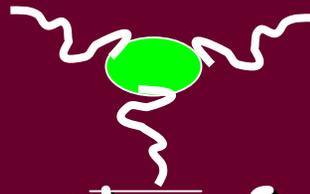


FIG. 7. High Q^2 behavior of $Q\kappa F_2/F_1$

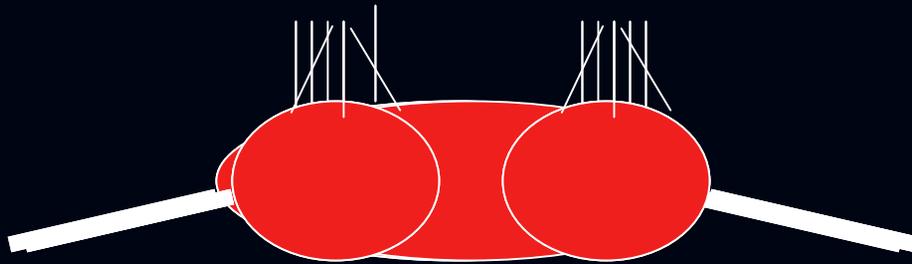
Every theorist had to take a pledge to reform

- "perturbaholics anonymous"



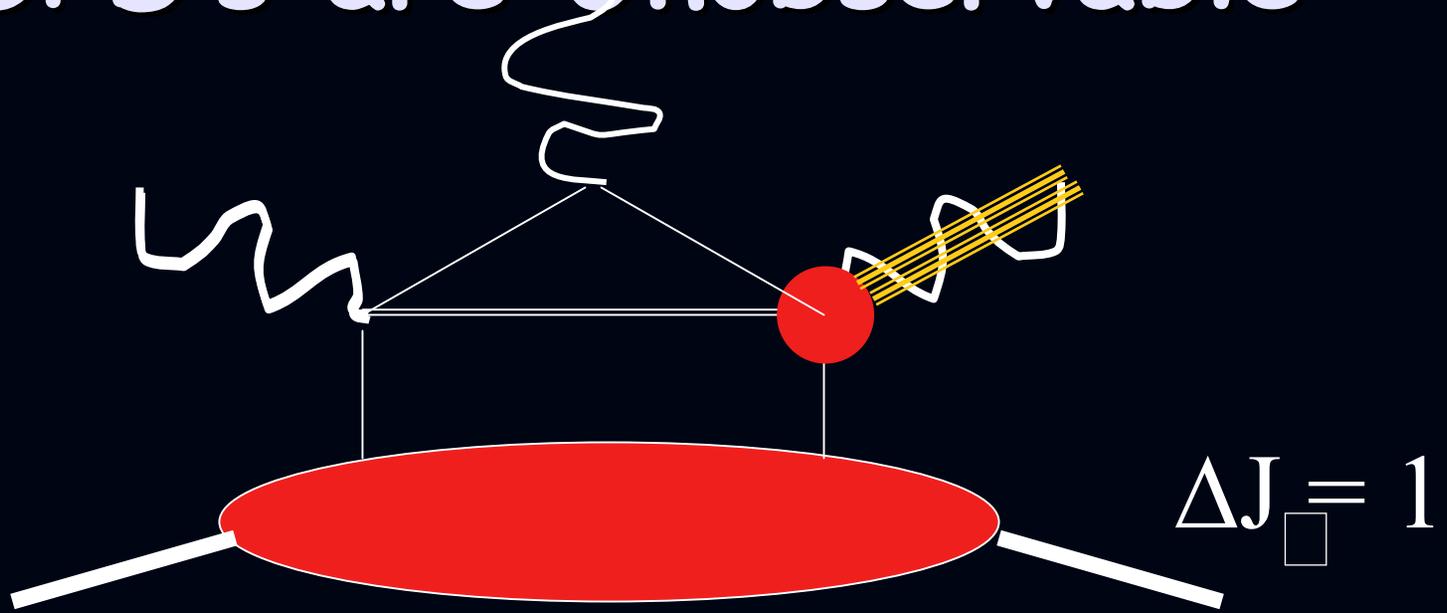
- It is not the fault of "pQCD"

How it works in pQCD



- Ambition: ~~Slother~~ **Outrageous**
 - Predictability: ~~Slother~~ **High++**
 - Safety: ~~Higher~~ **High**
 - Model Dependence: ~~Even~~ **Low**
 - Predictability: ~~Higher~~ **Low**
- Safety: High
- Model Dependence: Very High

GPD's are Unobservable



...yet capable of making predictions
independent from GPDs
...yet capable of making predictions
independent from GPDs
...yet capable of making predictions
independent from GPDs

Probably the Proton is not a
small ROUND dot...

$$\begin{aligned} M(\mathbf{b}_T) &= \int d^2 k_T \ e^{i\vec{k}_T \cdot \vec{b}_T} M(k_T) \\ &= \sum_m e^{im\phi} M_m(b) \end{aligned}$$

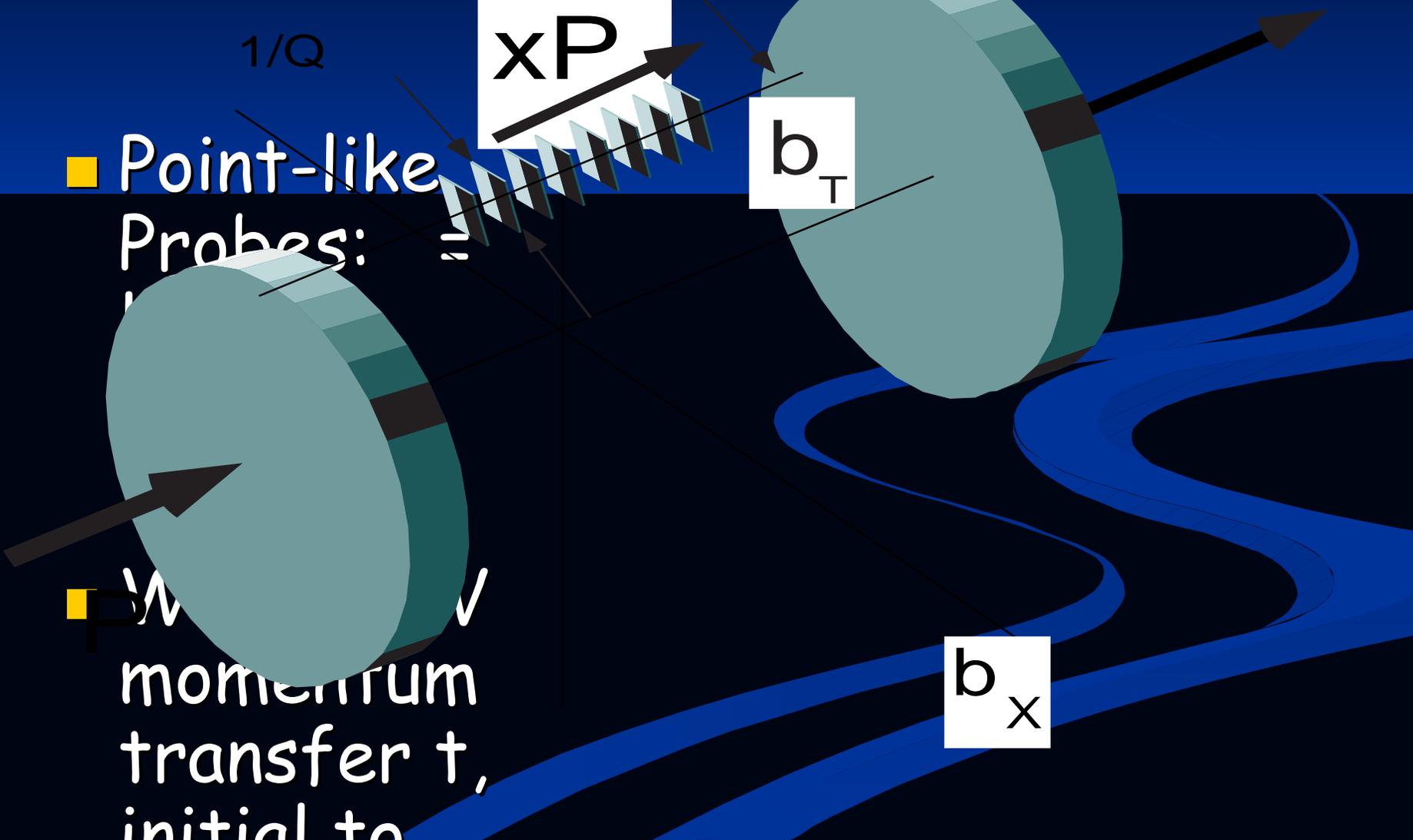
- Orbital Angular Momentum: light cone
 $SO(2) \ |m; J^2\rangle$

Ask not how big your theory is..
**Ask what it tells us about
confinement**

- No one scheme *is supposed to* predict everything
- **An infinite number of factorizations**

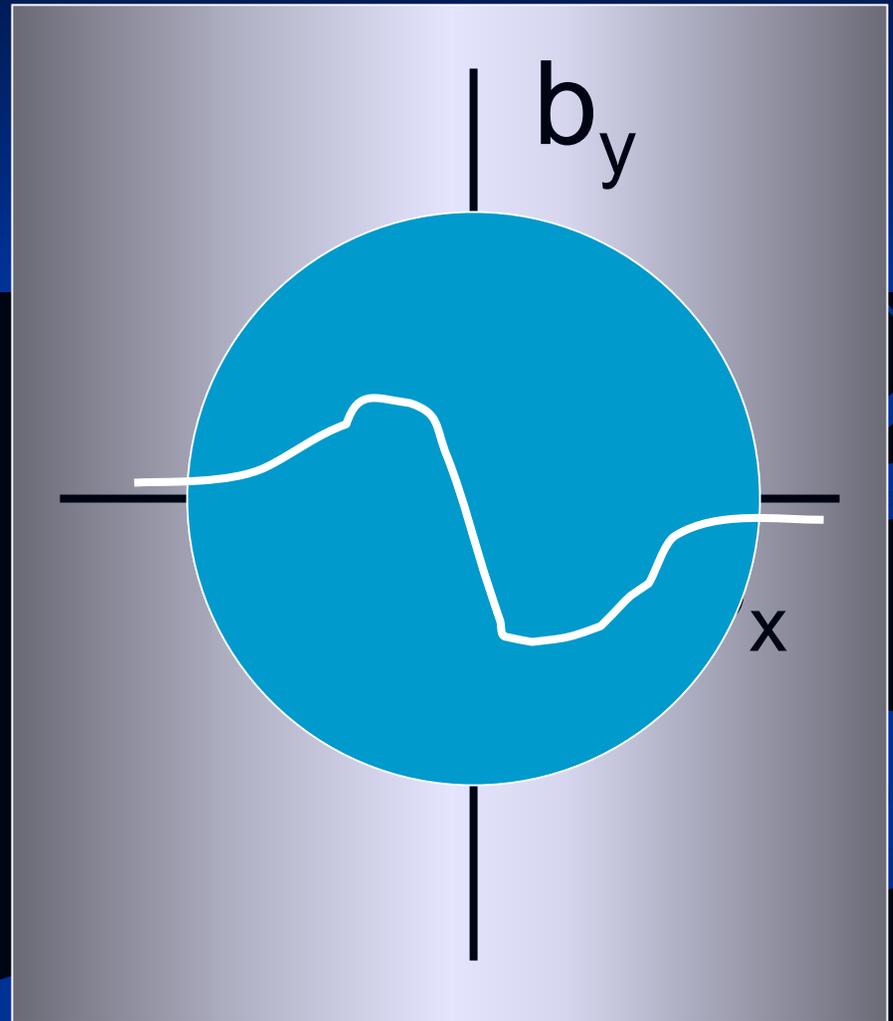
■ **It's (about) the
3-Dimensional
structure of
hadrons**

What Jlab can do: the three dimensional structure of confinement



Deeply Virtual Exclusives

- The ability to isolate the transverse, *Lorentz invariant*, structure of hadrons



How the transverse coordinate Works

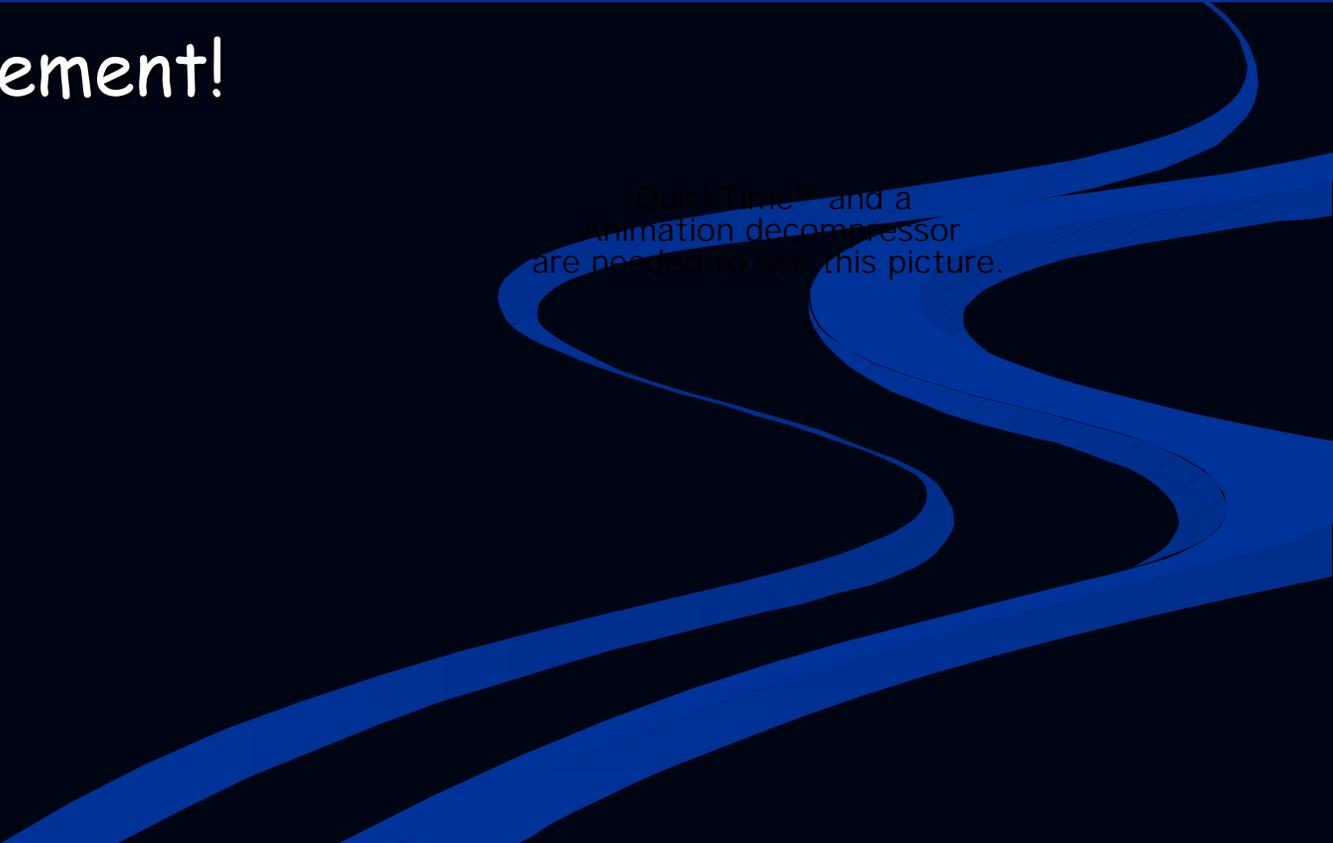
$$M(b_T) = \int d^2\Delta e^{i\vec{b} \cdot \vec{\Delta}} \langle p, s | T[\mathcal{J}(Q)\mathcal{J}(K)] | p+\Delta, s' \rangle$$

...a non-relativistic acting sub-world
of light cone geometry

Confinement is observable

- The interior of a
"quantum black hole
of color"
...confinement!

QuickTime™ and a
Animation decompressor
are needed to see this picture.



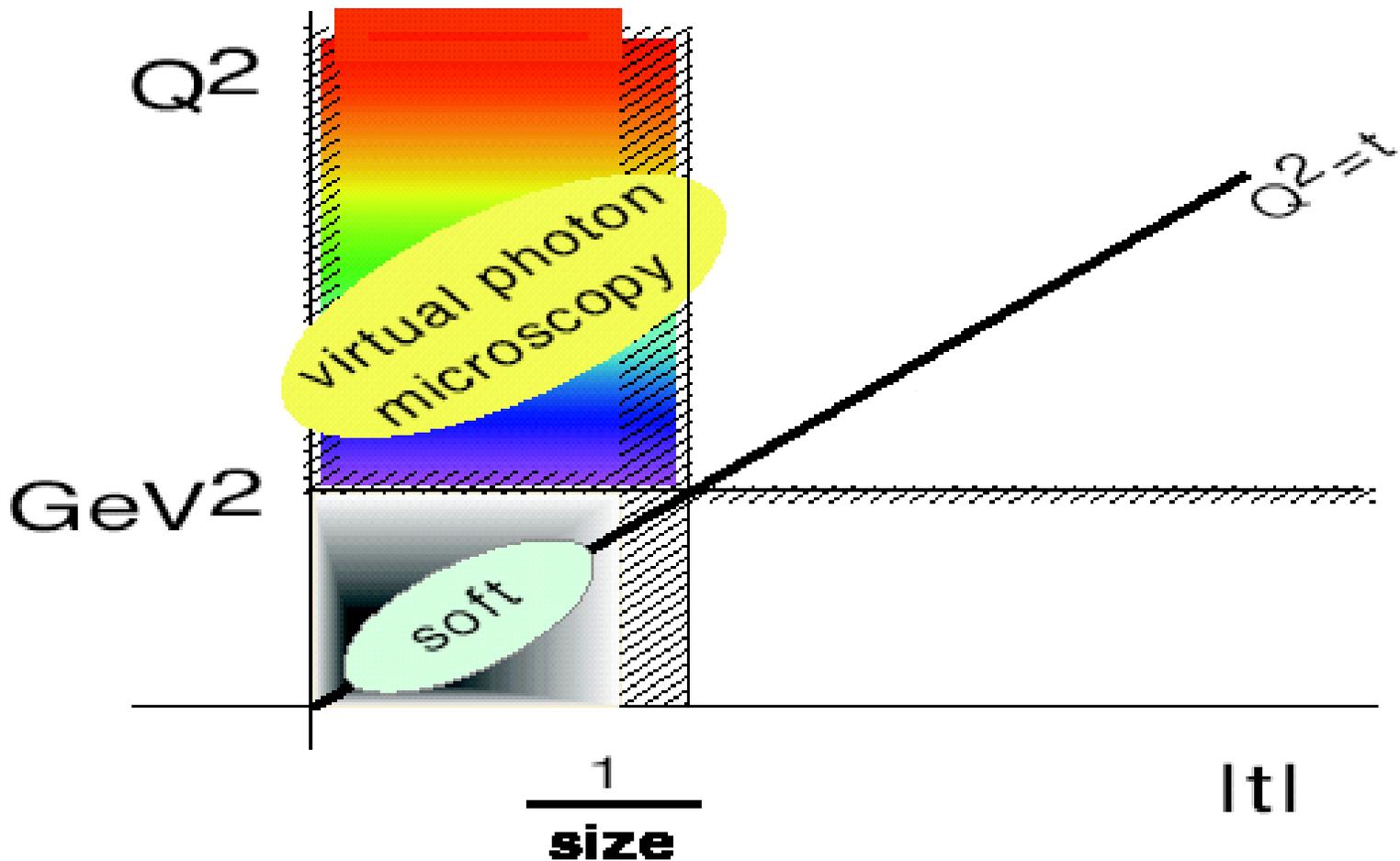
Physics based on *observables*

- GPD's, while exciting, are unobservable
- *Observable* matrix elements maintain the priority

$$\Omega^{\mathcal{Y}} = \langle p, s | T \mathcal{H}(z, b + \Delta, z^{\dagger} = 0) \mathcal{M}(z^{\dagger}, b - \Delta, z^{\dagger} = 0) | p', s' \rangle$$

Method of observation

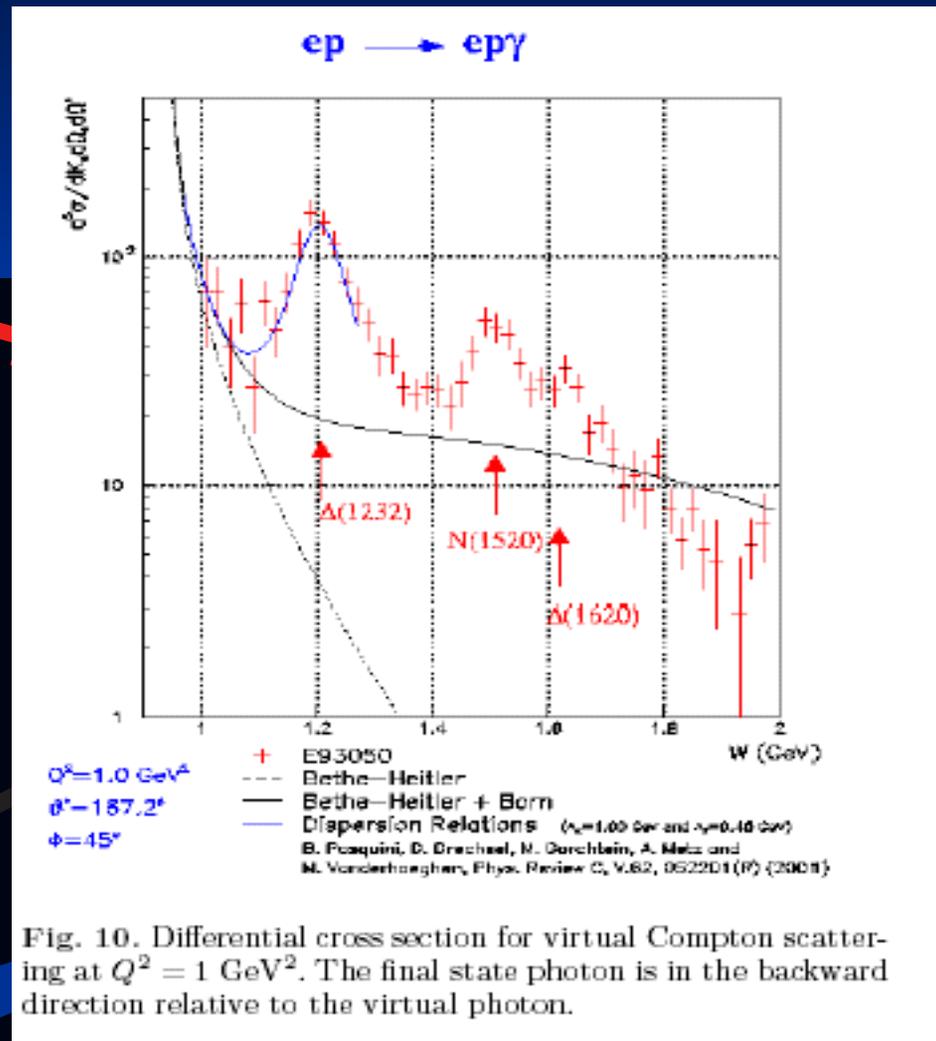
2



Deeply Virtual Exclusives

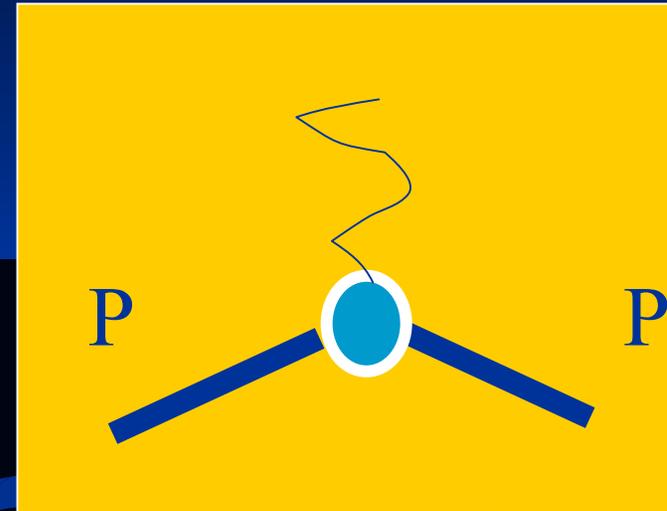
- DVET: Deeply Virtual Transitions

!!!!!!
 (Burkert, E93-050
 Hall A)
 DVET: Deeply Virtual semi
 Electroweak



Interpretation Holds

- Assuming an instantaneous point-like *electroweak* probe,



$$G_{\text{weak}}(Q^2) = \int d^3x \rho_{\text{weak}}(\vec{x}) e^{i\vec{Q}\cdot\vec{x}}$$

We share high-minded goals. Theorists are united:

JLAB-12 GeV

*will measure the confining
three-dimensional structure
of hadrons*

Theory and experiment in partnership



- **JLAB- 12 GeV**
: the ultimate
confinement
explorer

- **ENGAGE**